

Cutting Fluid Effects on Machine Shop Air Quality

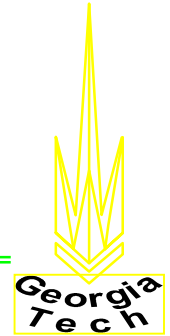
For IAB2000

Zhong Chen

Advisor: Dr. Steven Y. Liang

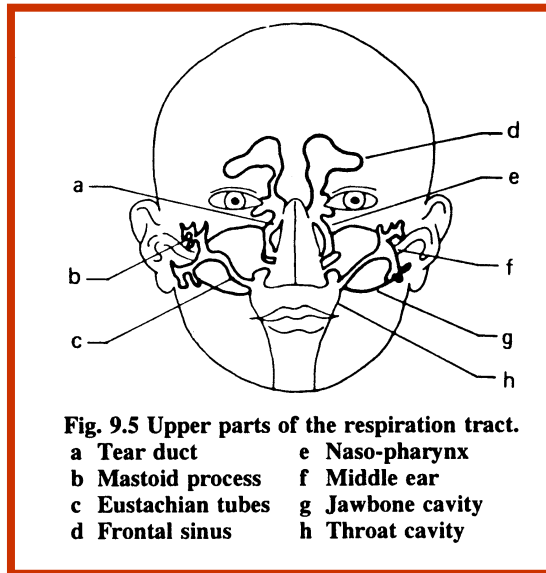
Oct. 18, 2000

Problem Description

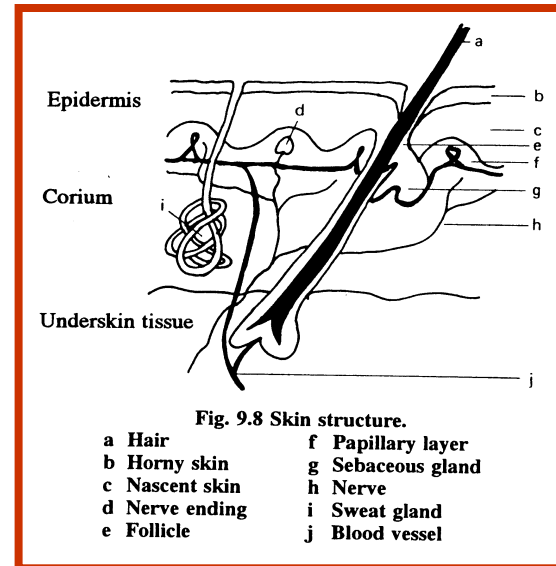


- Occupational Safety and Health Administration (OSHA) requirements → **0.5 mg/m³**

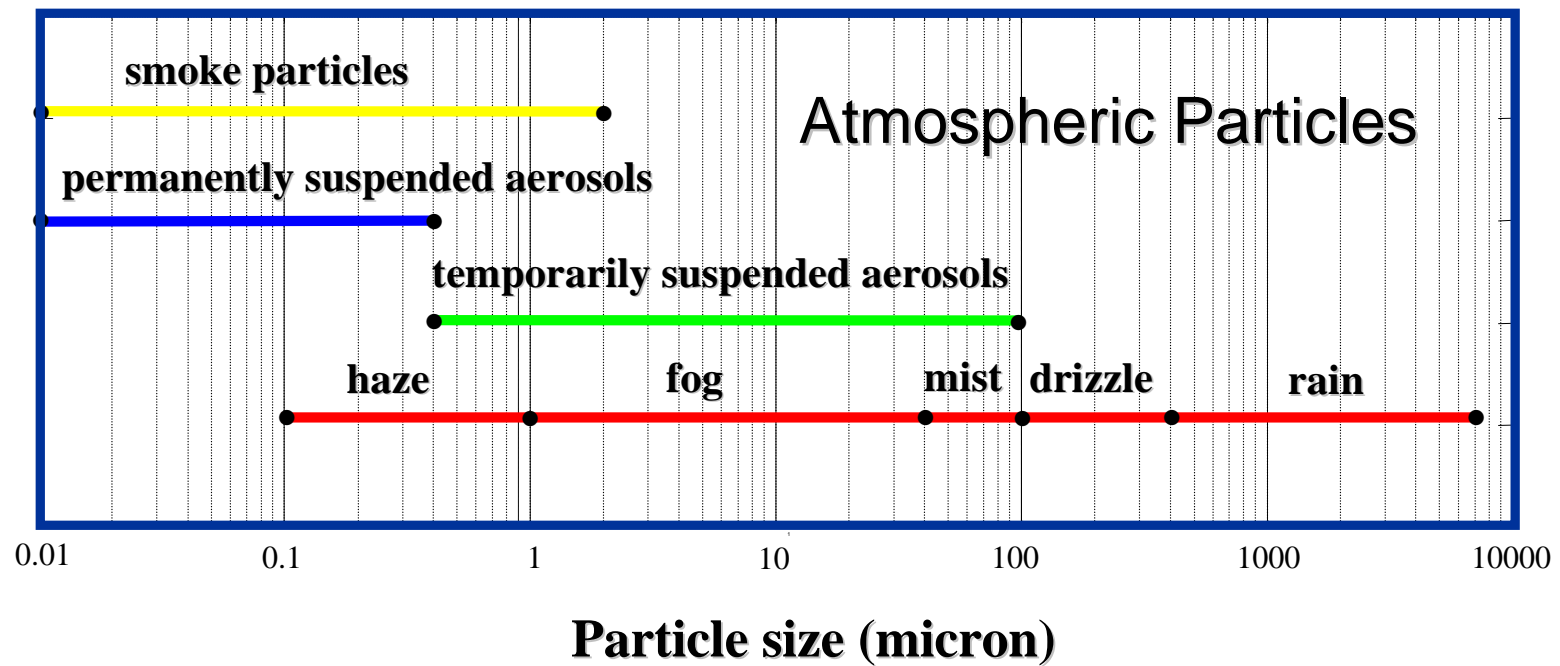
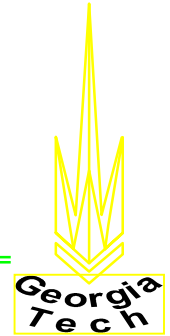
Upper Respiratory [Lubricants in Operation, 1996]



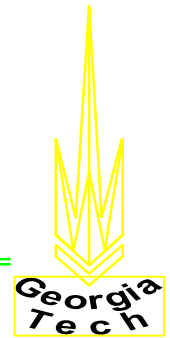
Skin Contact [Lubricants in Operation, 1996]



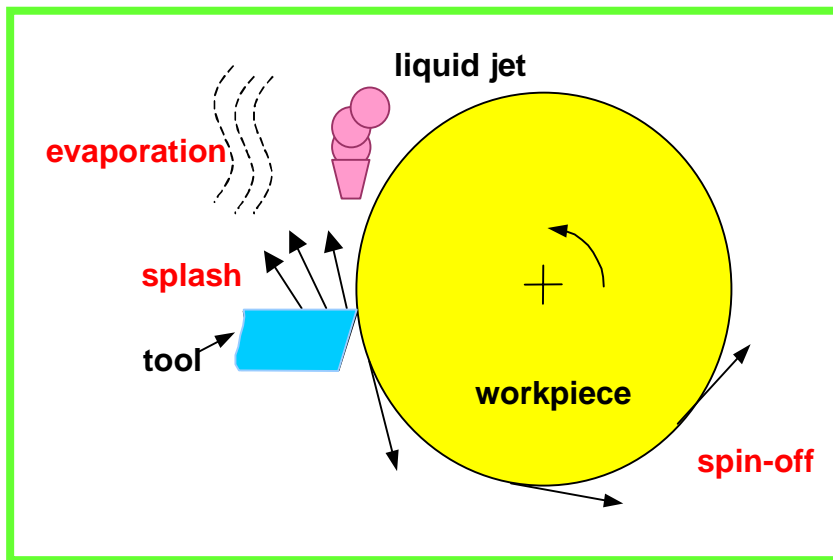
Problem Description (cont.)



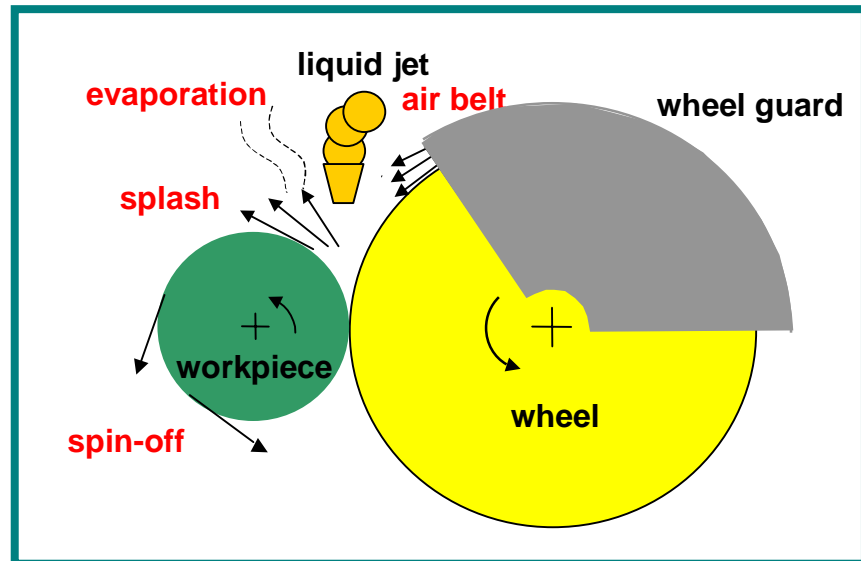
Problem Description (cont.)



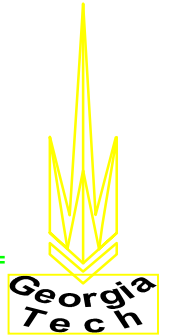
Turning process



Grinding process

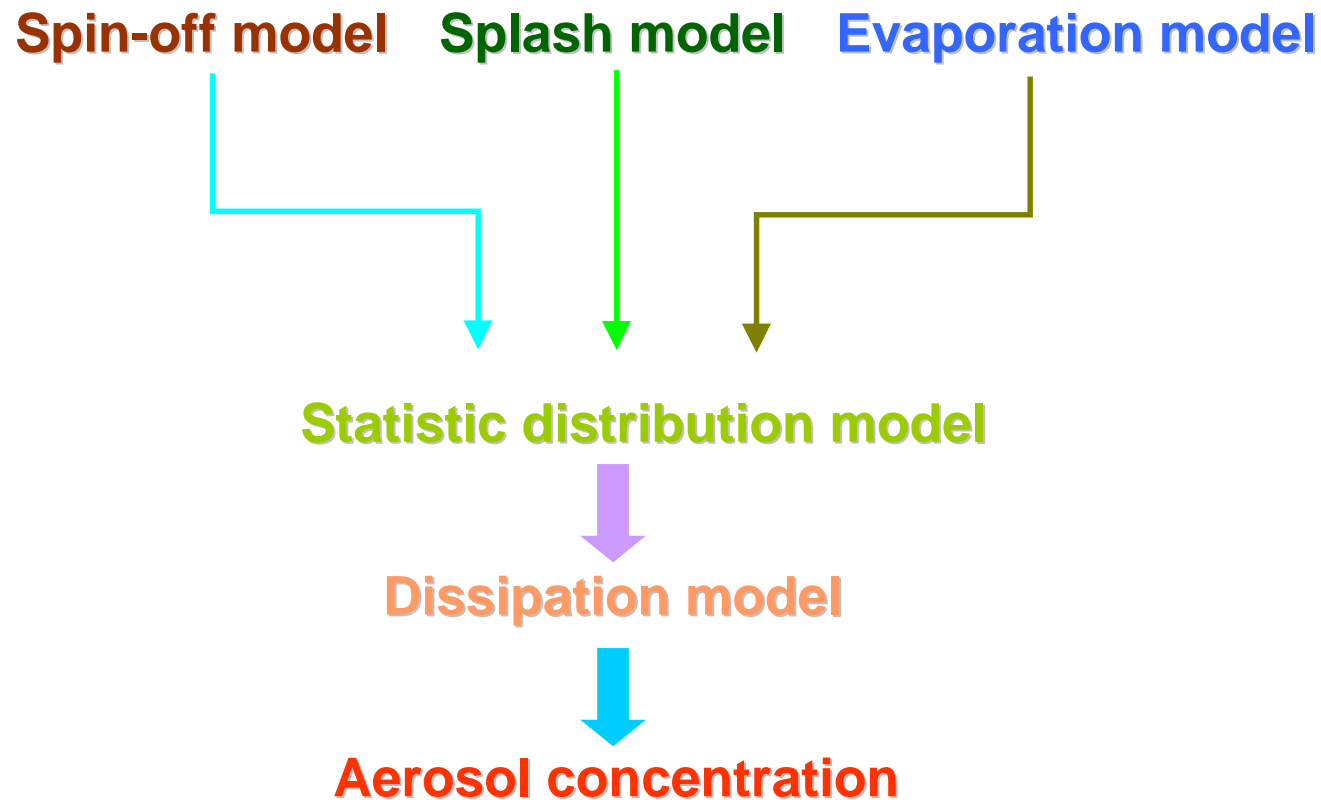
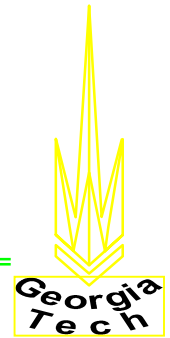


Objectives

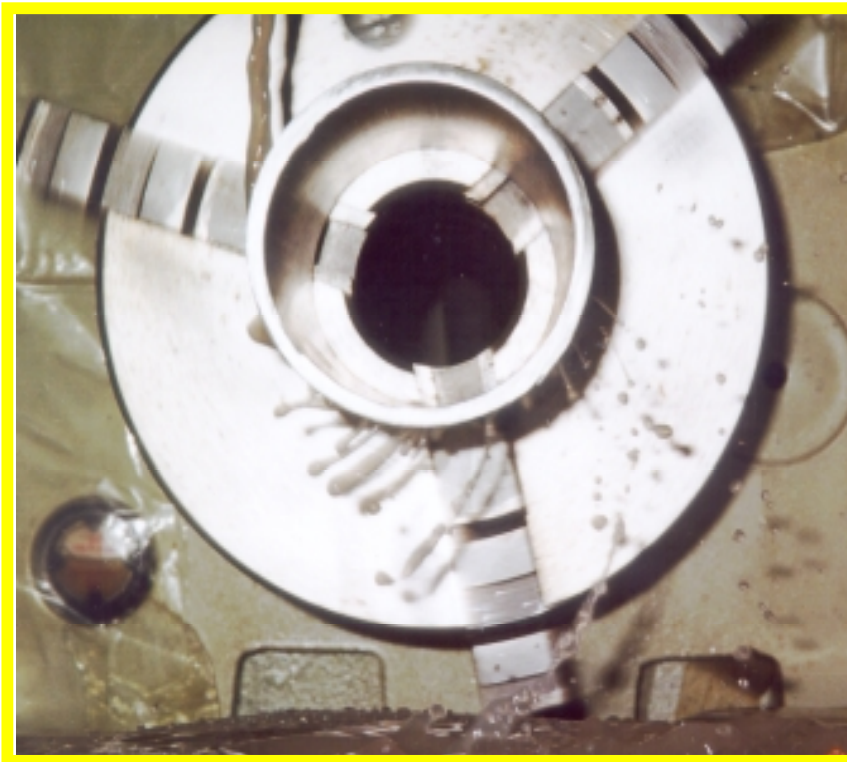
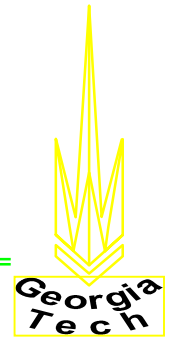


- Quantitative **modeling** of aerosol generation and dissipation in shop floor environment during turning and grinding processes
- Multivariate **validation** of methodology based on experiments.

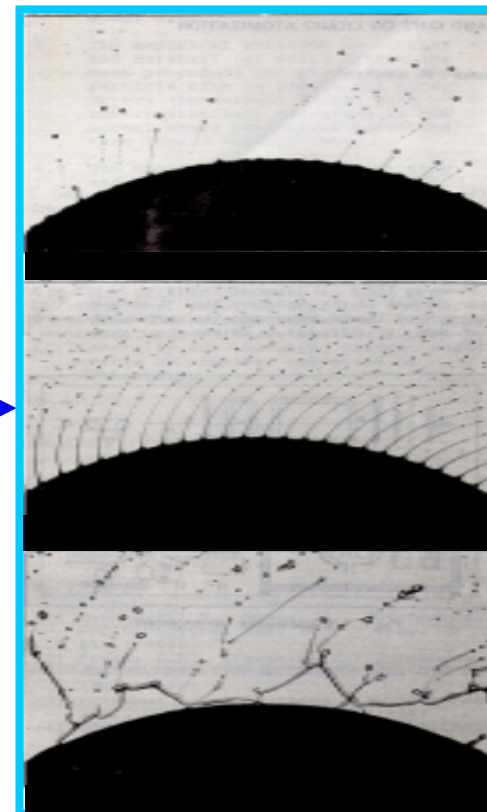
Flow Diagram of Modeling



Spin-off Modeling



Photograph of spin-off

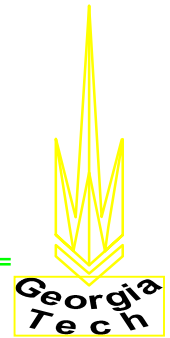


Drop
mode

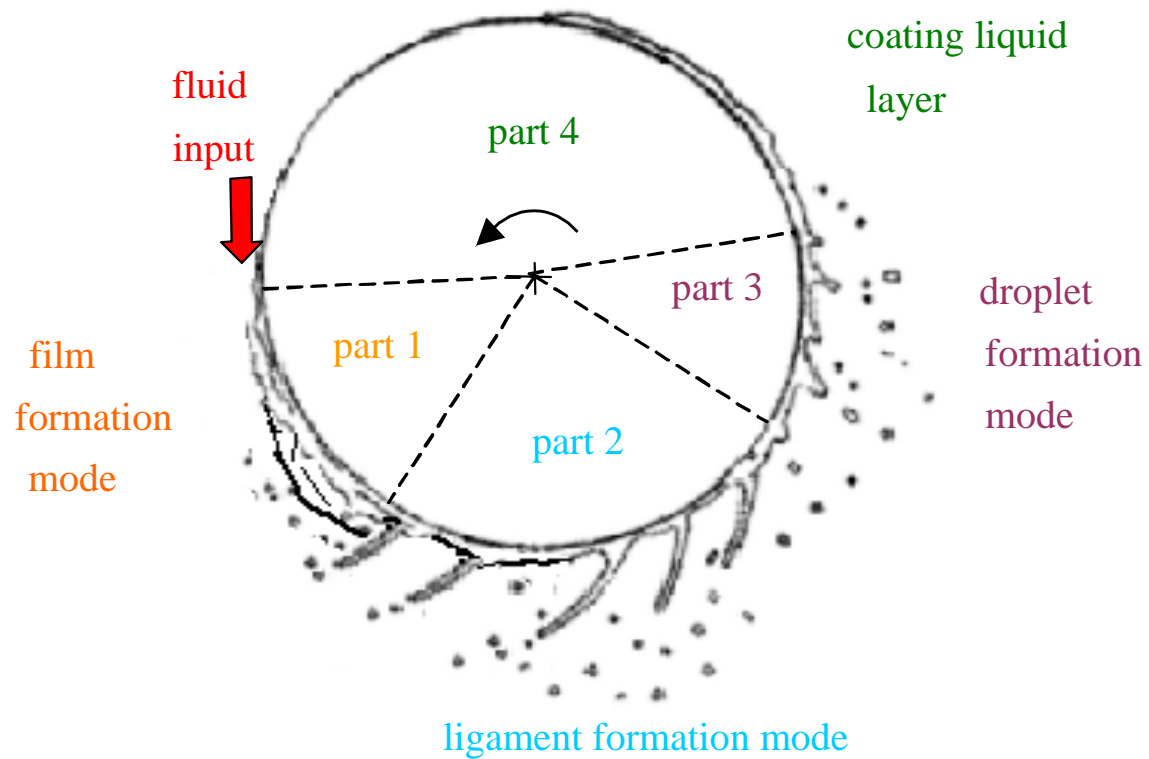
Ligament
mode

Film
mode

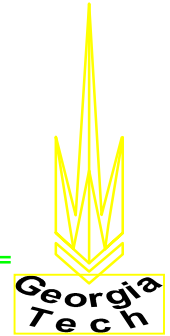
Spin-off Modeling (cont.)



Rotating cylindrical peripheral disk atomization model



Spin-off Modeling (cont.)



❖ drop mode

$$D_d = \sqrt{6} \left(\frac{\sigma}{\rho} \right)^{1/2} \left(\frac{R}{V_\theta^2} \right)^{1/2}$$

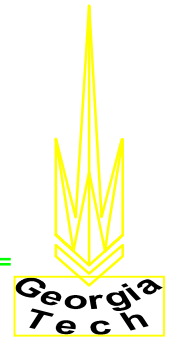
❖ ligament formation mode

$$D_\ell = C' R \left(\frac{1}{N_\ell} \right)^{2/7} \left(\frac{\rho Q_\ell^2}{R^3 \sigma} \right)^{1/7} We^{-2/7}$$

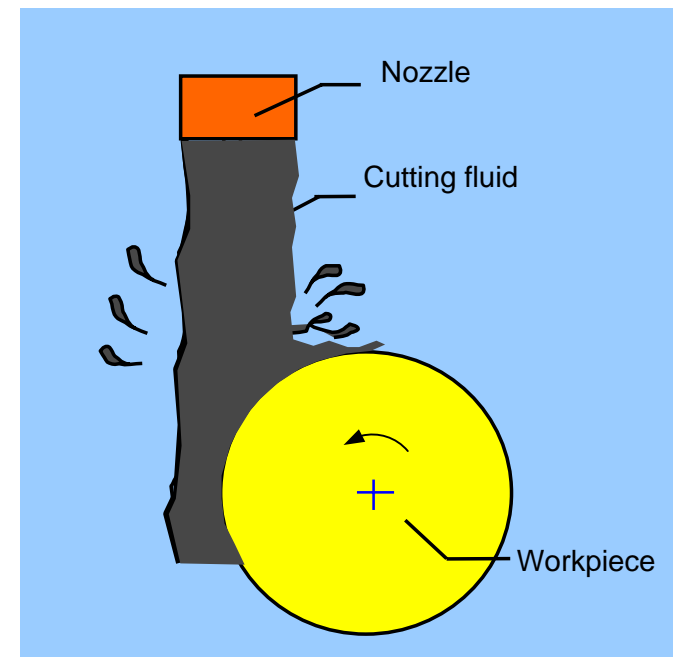
❖ film formation mode

$$D_f = \frac{105 Q_f^{0.5} \sigma^{0.4}}{1.7 \Omega R^{0.8} \rho^{0.4}}$$

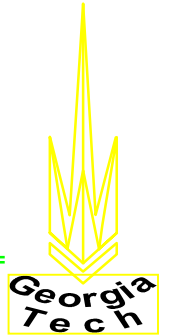
Splash Modeling



- **Based on splatter model and atomization theory**
- **The mechanics of the splash atomization is similar to the mechanism of drop formation mode in spin-off process**



Splash Modeling (cont.)



❖ Splash parameter

$$\omega = We \times e^{\frac{0.971\ell}{d\sqrt{We}}}$$

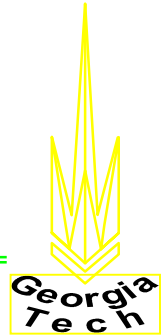
❖ Splash distribution parameter

$$D_m, \text{ SMD, Re etc. } \Rightarrow \delta$$

❖ Aerosol generation rate in splash process

$$\dot{n}_{\text{splash}} = \beta \xi \rho u_f \left(\frac{\pi d^2}{4} \Phi_{\text{splash}}(D) / \text{Vol} \right)$$

Evaporation modeling



- **Hertz-Knudsen formula**
[Jones, Frank E, 1992]

$$W = E \sqrt{(M / 2\pi R)} (P_{tr} / \sqrt{T_{tr}} - P_{min} / \sqrt{T_v})$$

W evaporation rate

E evaporation coefficient

M molecular weight of the evaporating substance

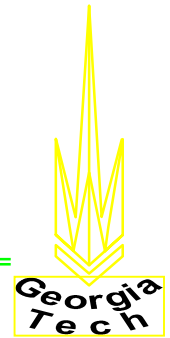
R universal gas constant

P_{tr}, T_{tr} vapor pressure and temperature at the interface

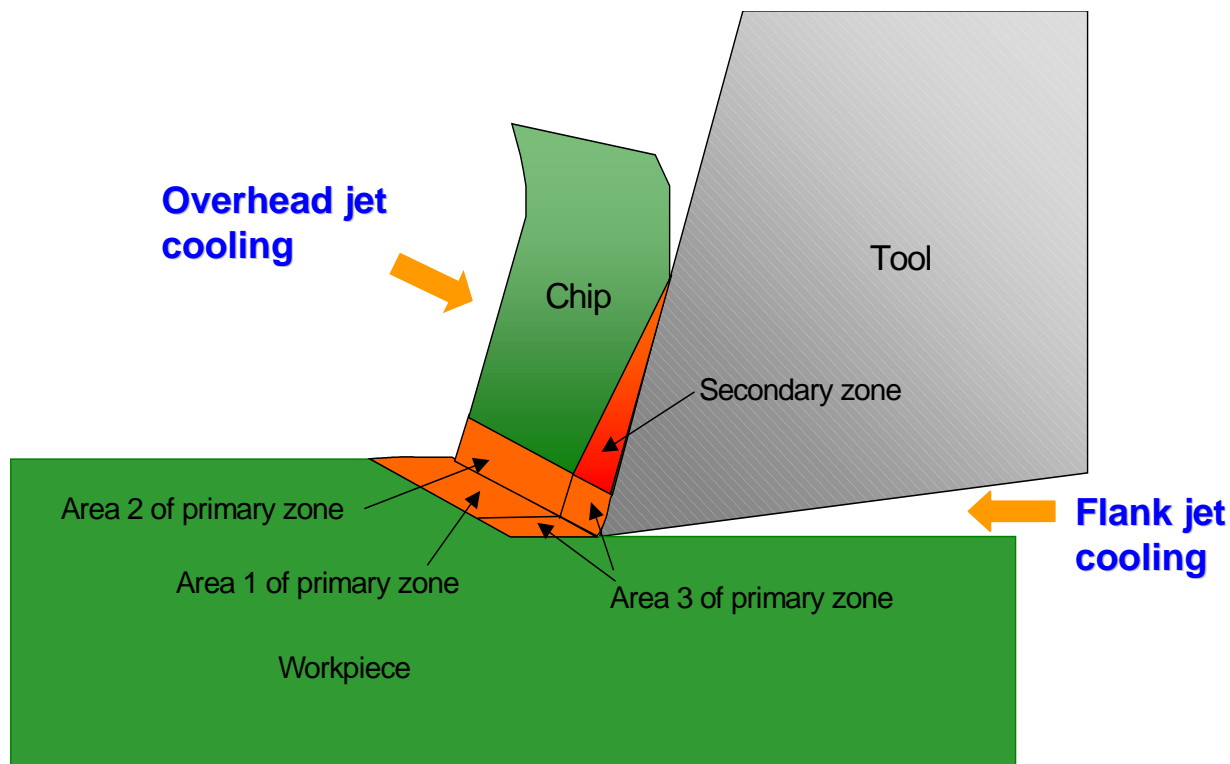
P_{min}, T_v vapor pressure and temperature at vapor region

Evaporation modeling

- Temp. distribution calculation

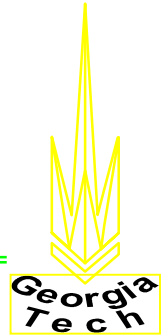


- 2-D FEM model to calculate temperature distribution



Evaporation modeling

- Temp. distribution calculation



- **Overhead Jet Cooling**

Using Goldstein and Franchett model to calculate the local heat-transfer coefficients in heat transfer from a flat surface to an oblique impinging liquid jet.

$$\text{Nu} = 1.122 A (\text{Pr}^{1/3}) \text{Re}_j^{0.7} e^{-(B + C \cos \Phi)(r/D)^m}$$

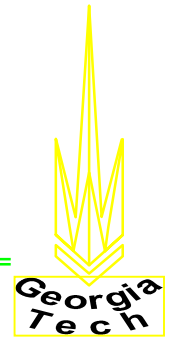
- **Flank Jet Cooling**

Model of flow parallel to both surfaces

[Rohsenow w. 1973]

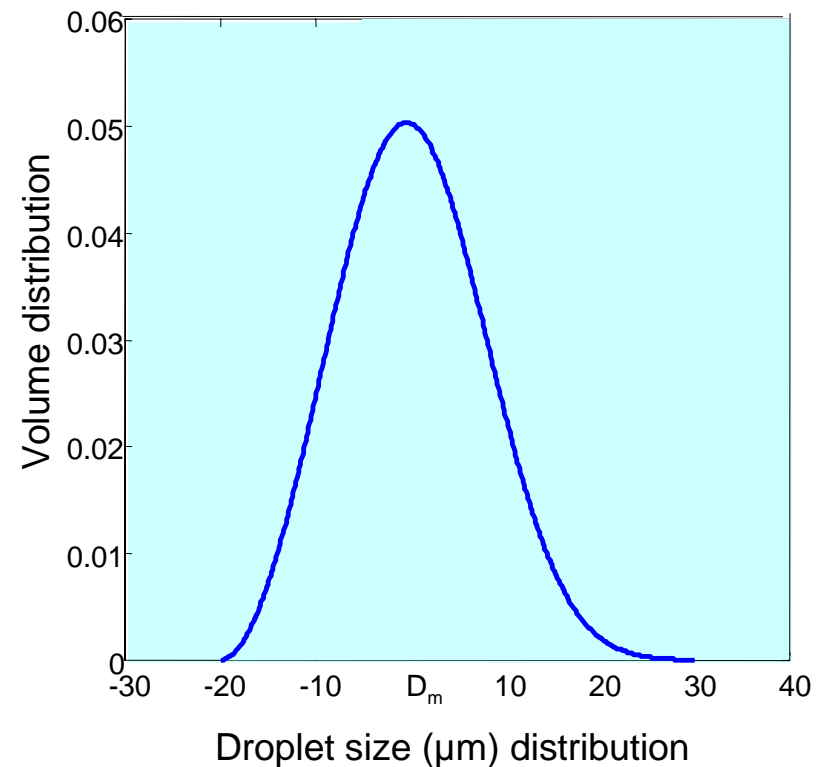
$$\text{Nu}_x = \frac{h_x x}{K} = 0.332 (\text{Pr}^{1/3}) (\text{Re}_j^{1/2}) \text{Re}_x \leq 5 \times 10^5$$

Statistic Distribution Modeling

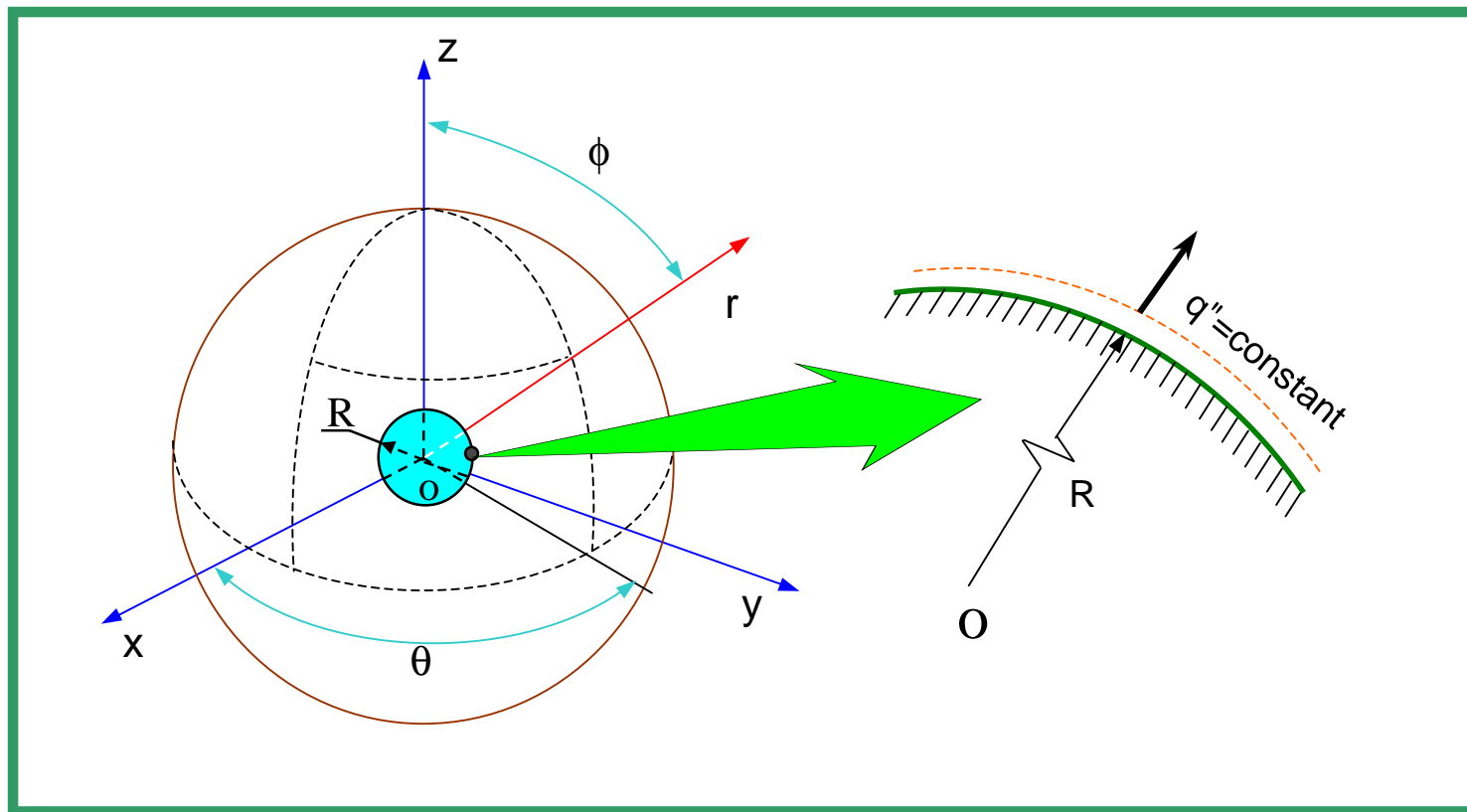
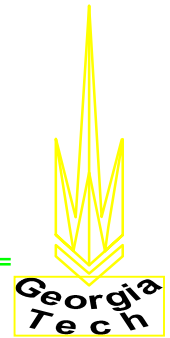


- Rosin-Rammler particle size distribution function

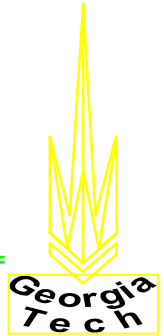
$$\Phi(D) = 1 - \exp\left[-0.693\left(\frac{D}{D_m}\right)^\delta\right]$$



Dissipation Modeling



Dissipation Modeling (cont.)



- **Dissipation Equation:**

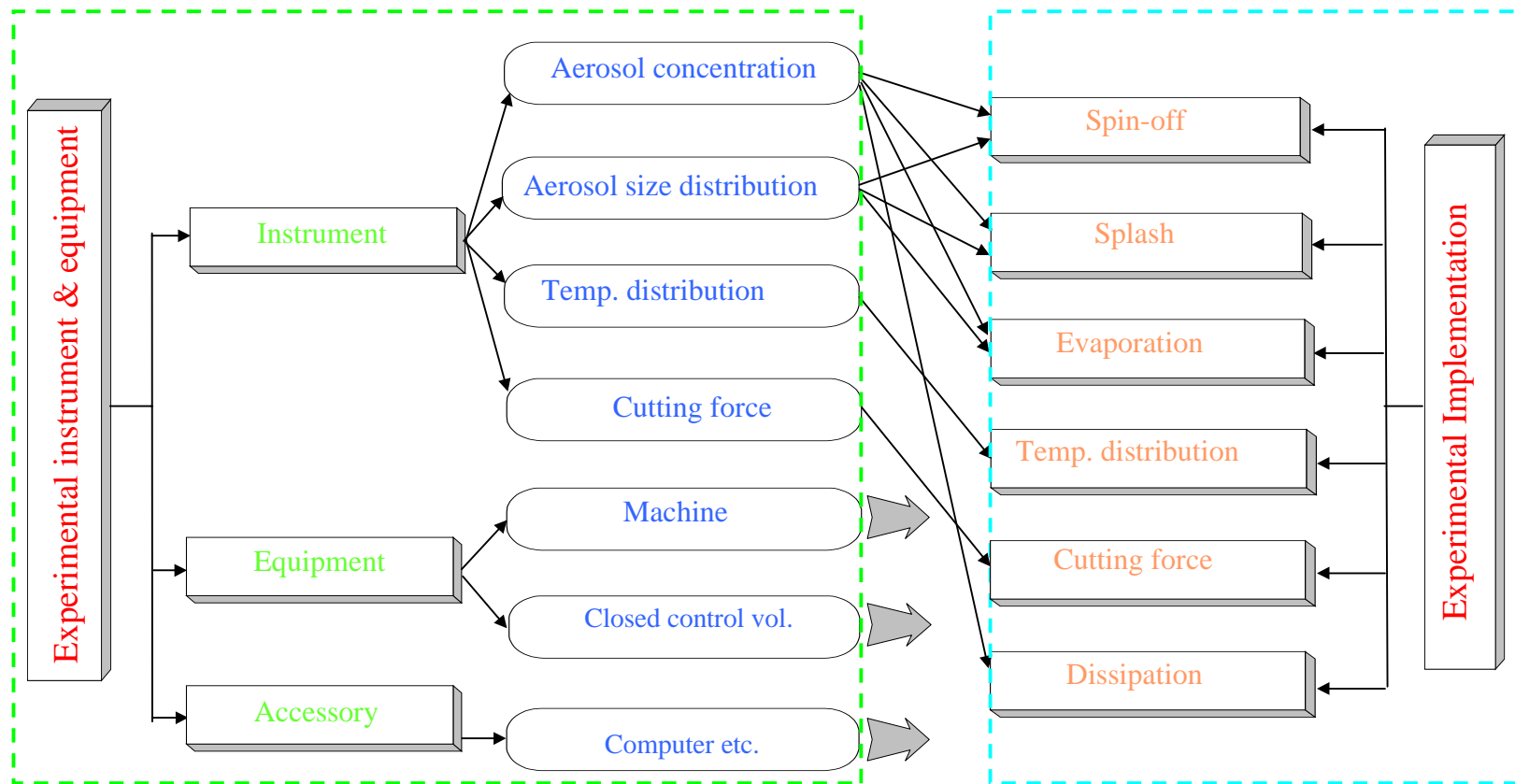
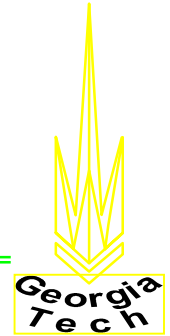
$$D_{AB} \frac{1}{r^2} \frac{\partial}{\partial r} \left(r^2 \frac{\partial \eta_A}{\partial r} \right) + D_{AB} \frac{1}{r^2 \sin \theta} \frac{\partial}{\partial \theta} \left(\sin \theta \frac{\partial \eta_A}{\partial \theta} \right) + D_{AB} \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \eta_A}{\partial \phi^2} = \frac{\partial \eta_A}{\partial t}$$

BC: $-D_{AB} \left. \frac{\partial \eta}{\partial s} \right|_{s=R} = q''$ **IC:** $\eta(s, 0) = \eta_0$

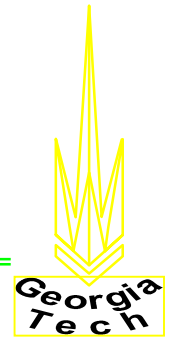
Chapman-Enskog Formula for Diffusivity:

$$D_{AB} = 1.86 \times 10^{-7} T^{3/2} \frac{\sqrt{(M_A + M_B) / M_A M_B}}{p \sigma_{AB}^2 \Omega_D}$$

Experiments



DataRam Aerosol Monitor



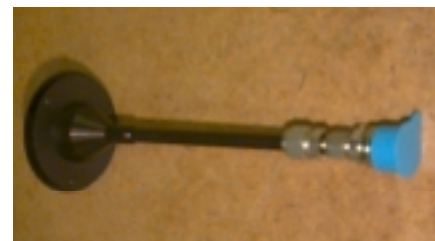
DataRAM



HotMeter

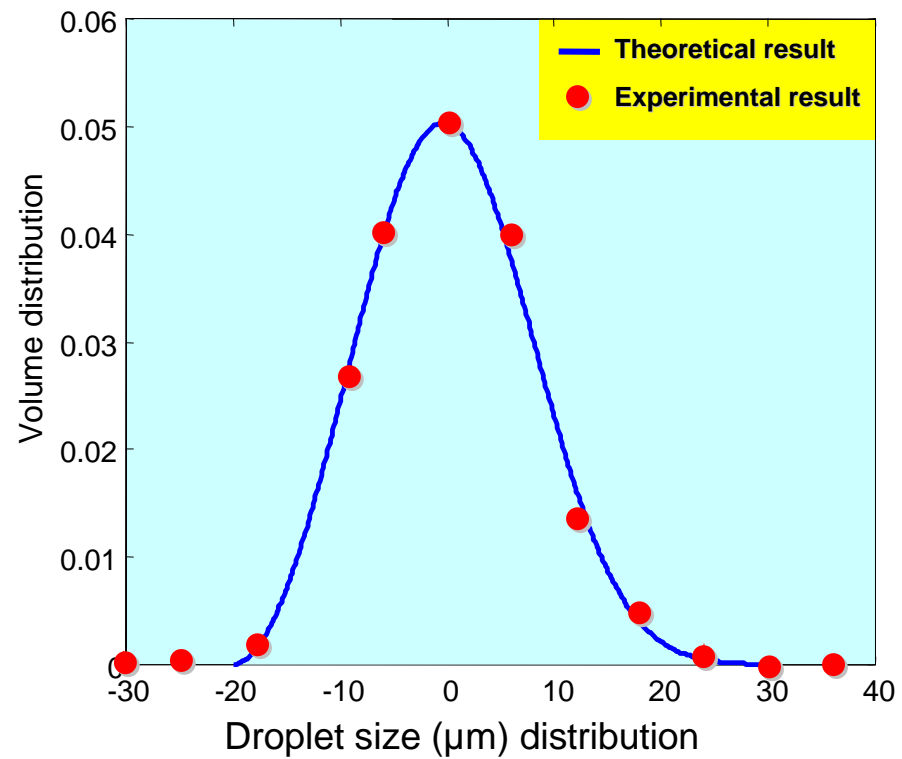
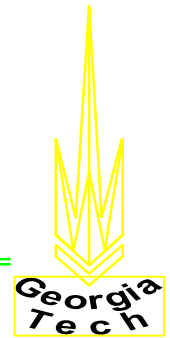


10/2.5 μm Selector



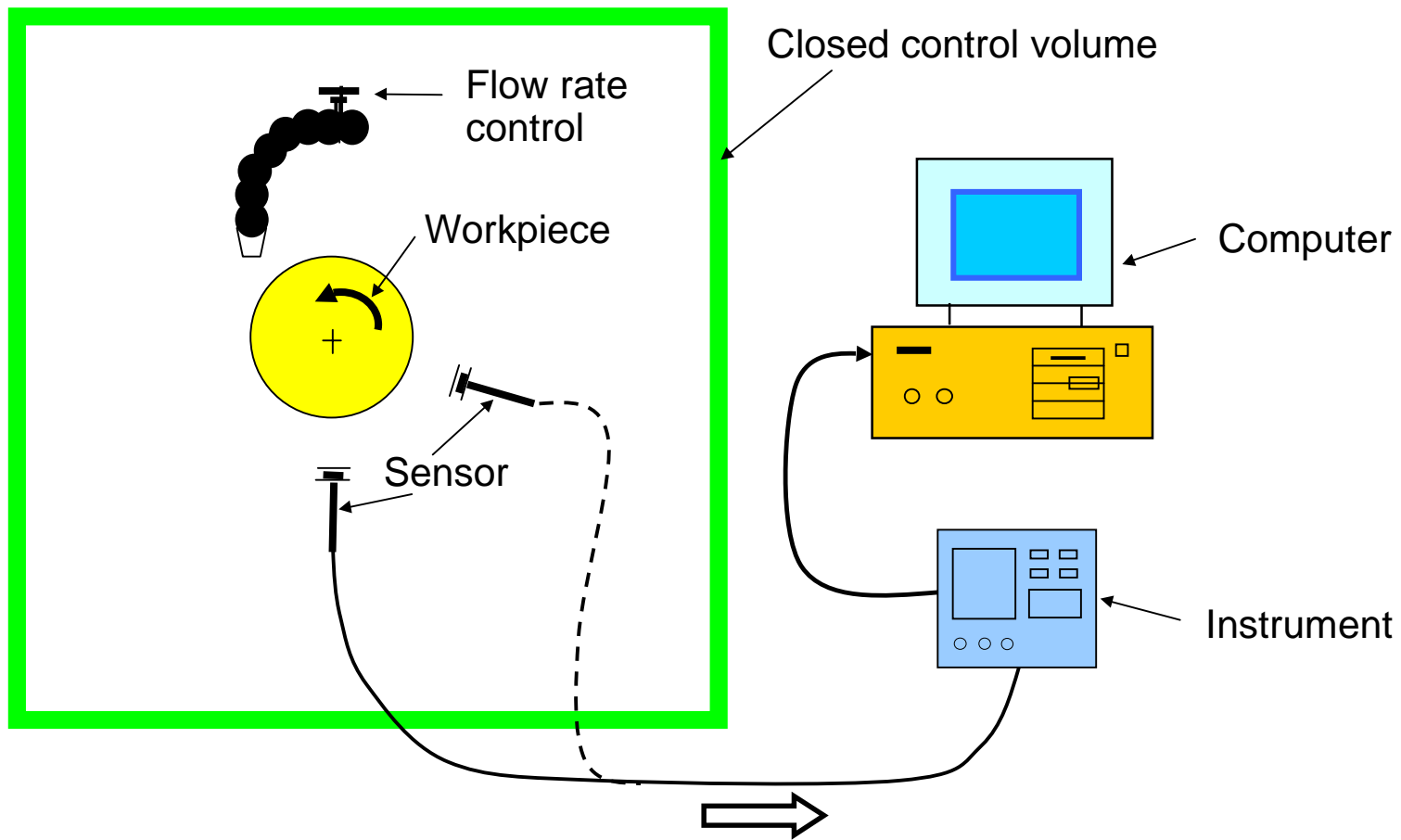
Omni-directional Inlet

Particle Measuring System

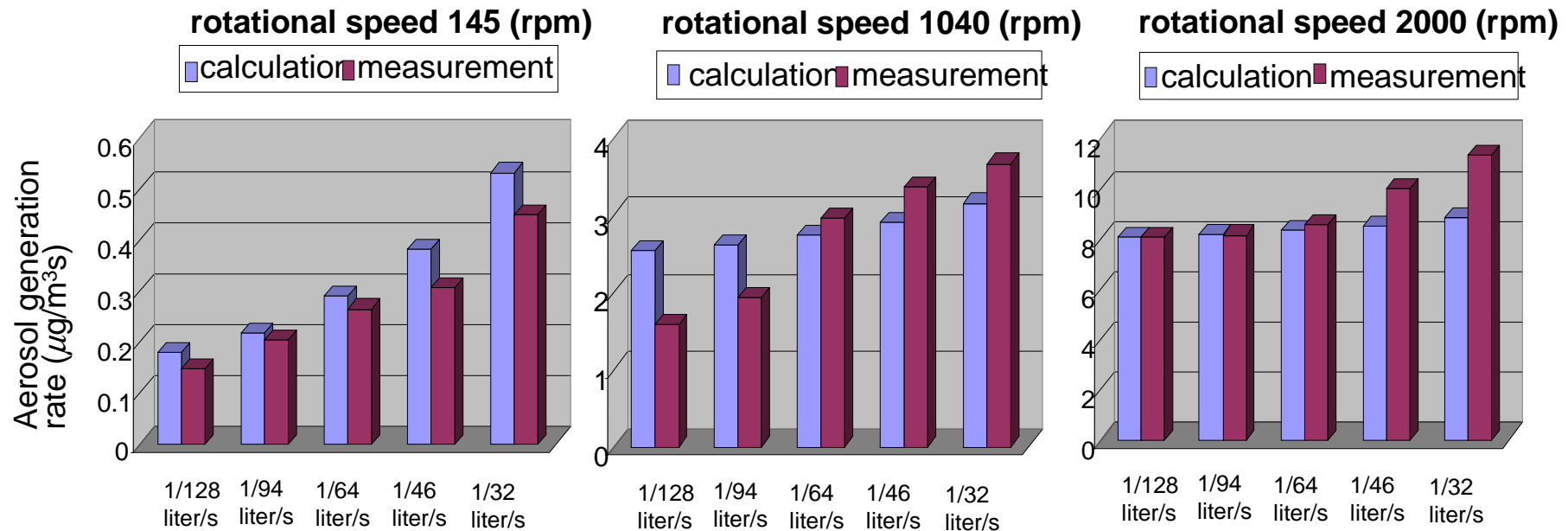
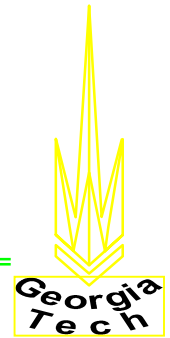


Experiments (cont.)

- **Experimental setup**

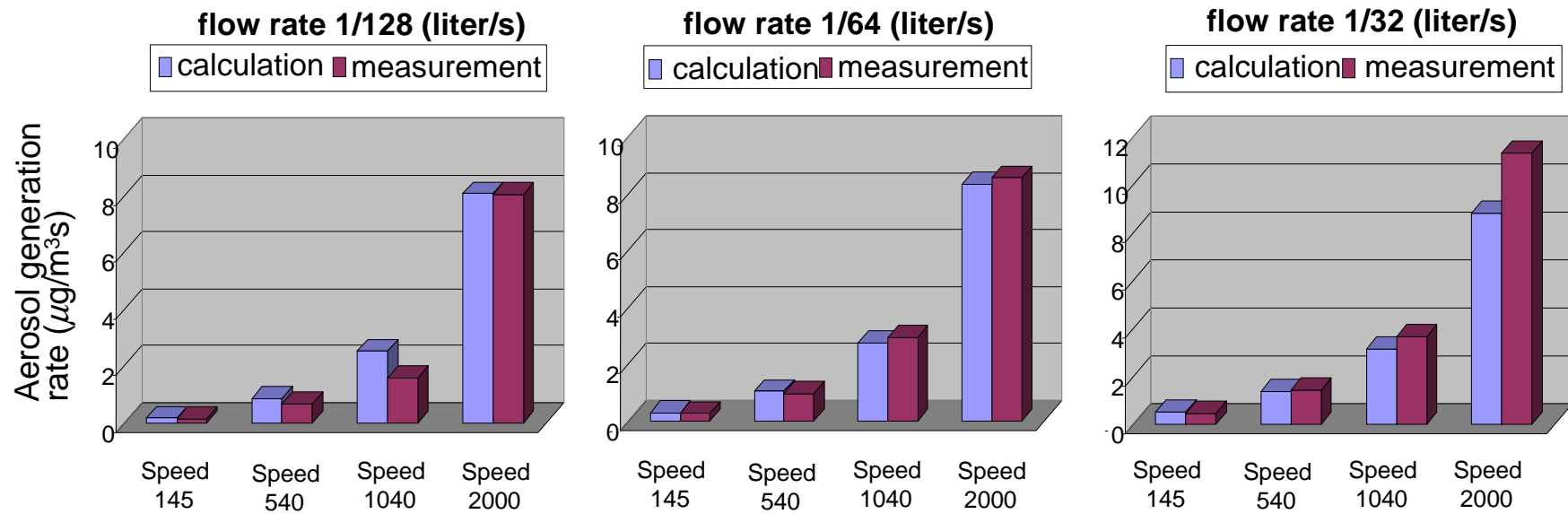
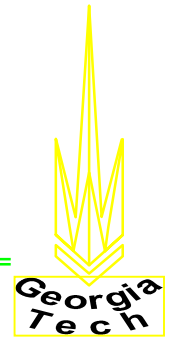


Spin-off Result



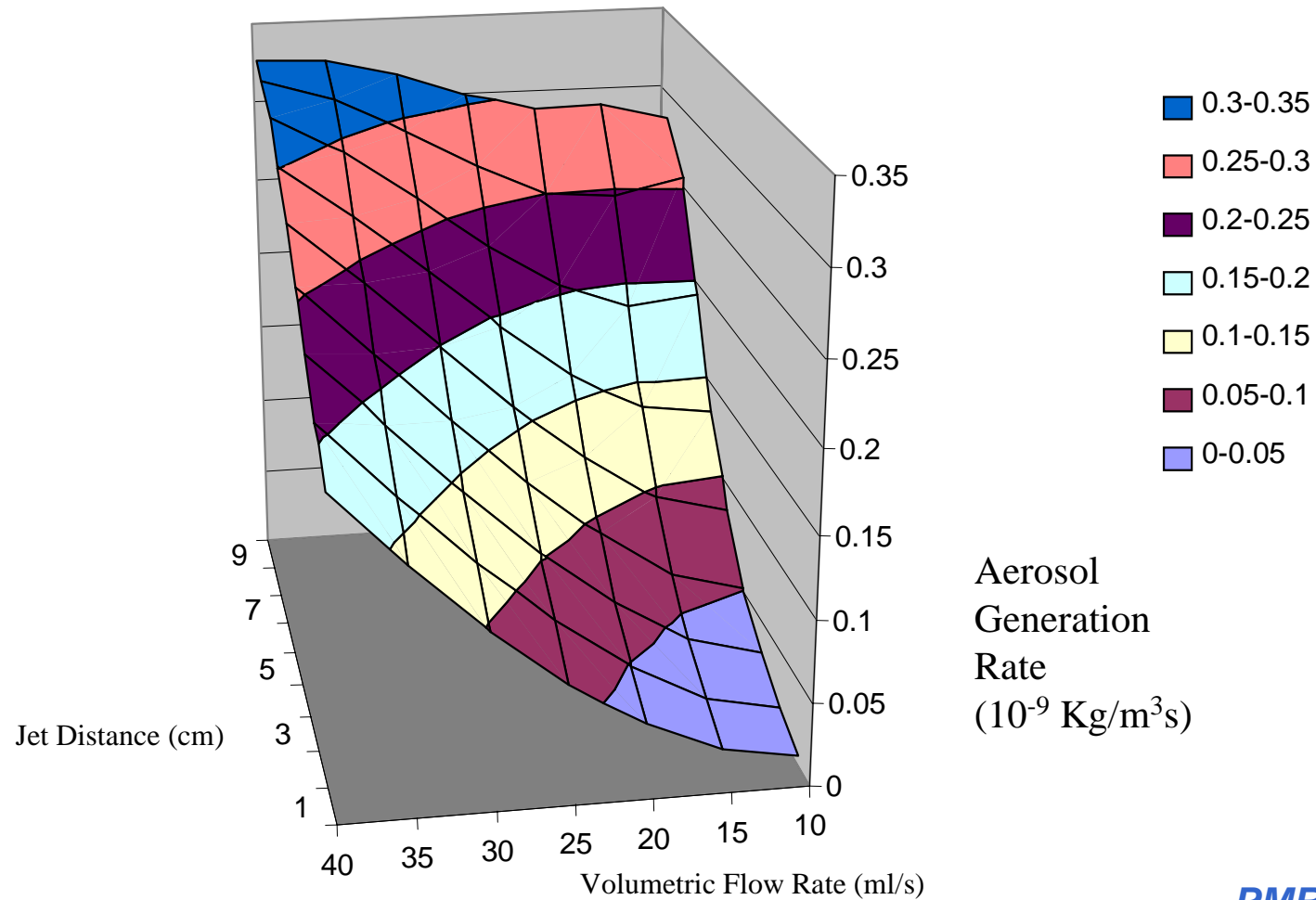
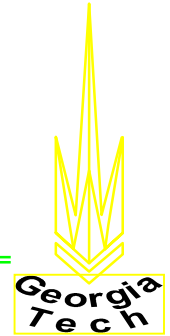
Comparison between analytical result and experimental data under different flow rate and constant rotational speeds

Spin-off Result (cont.)

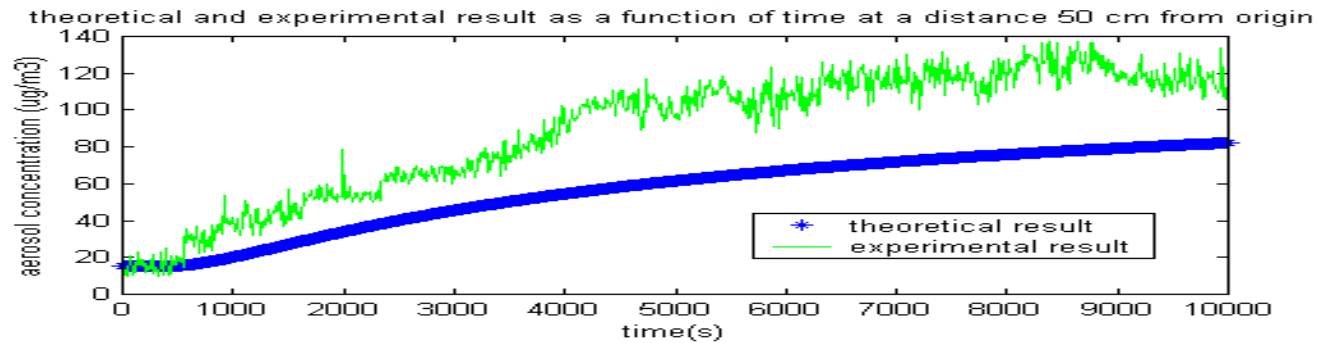
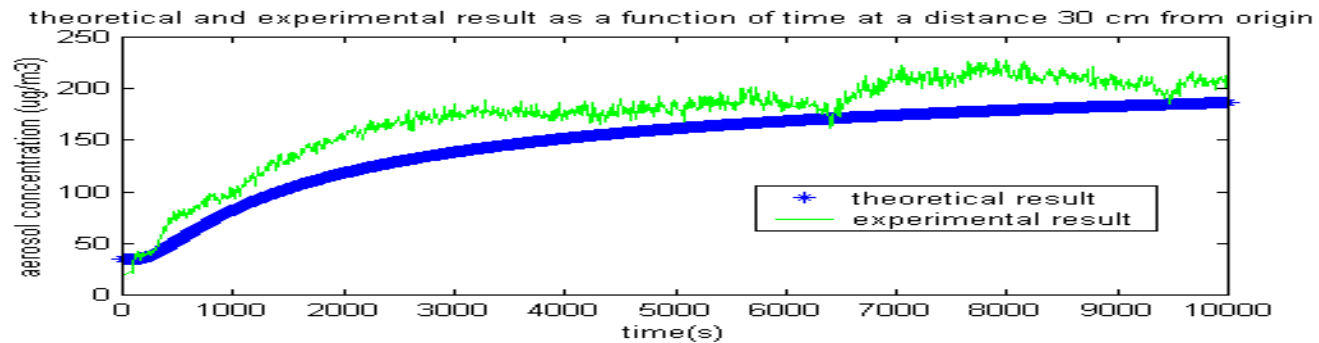
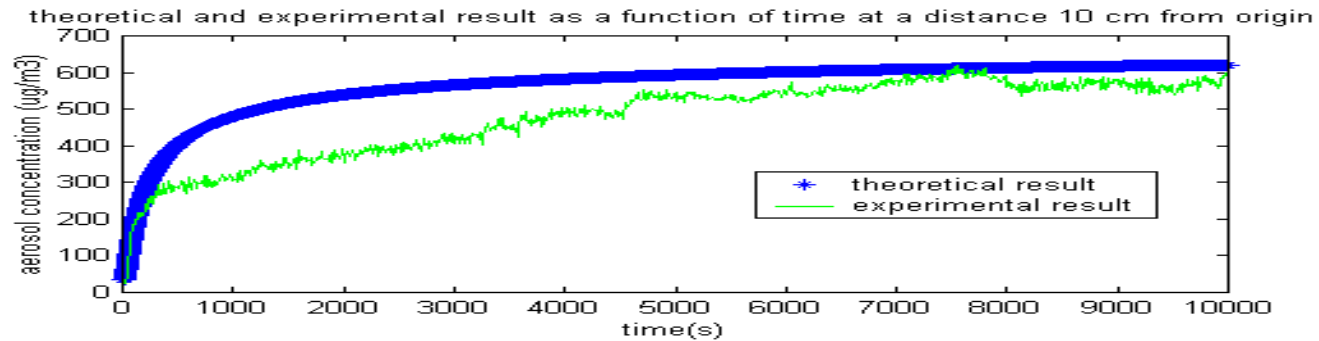
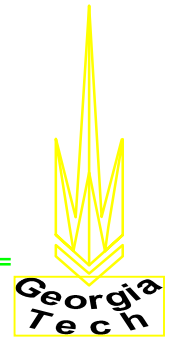


Comparison between analytical result and experimental data under different rotational speeds and constant flow rate

Splash Result (cont.)



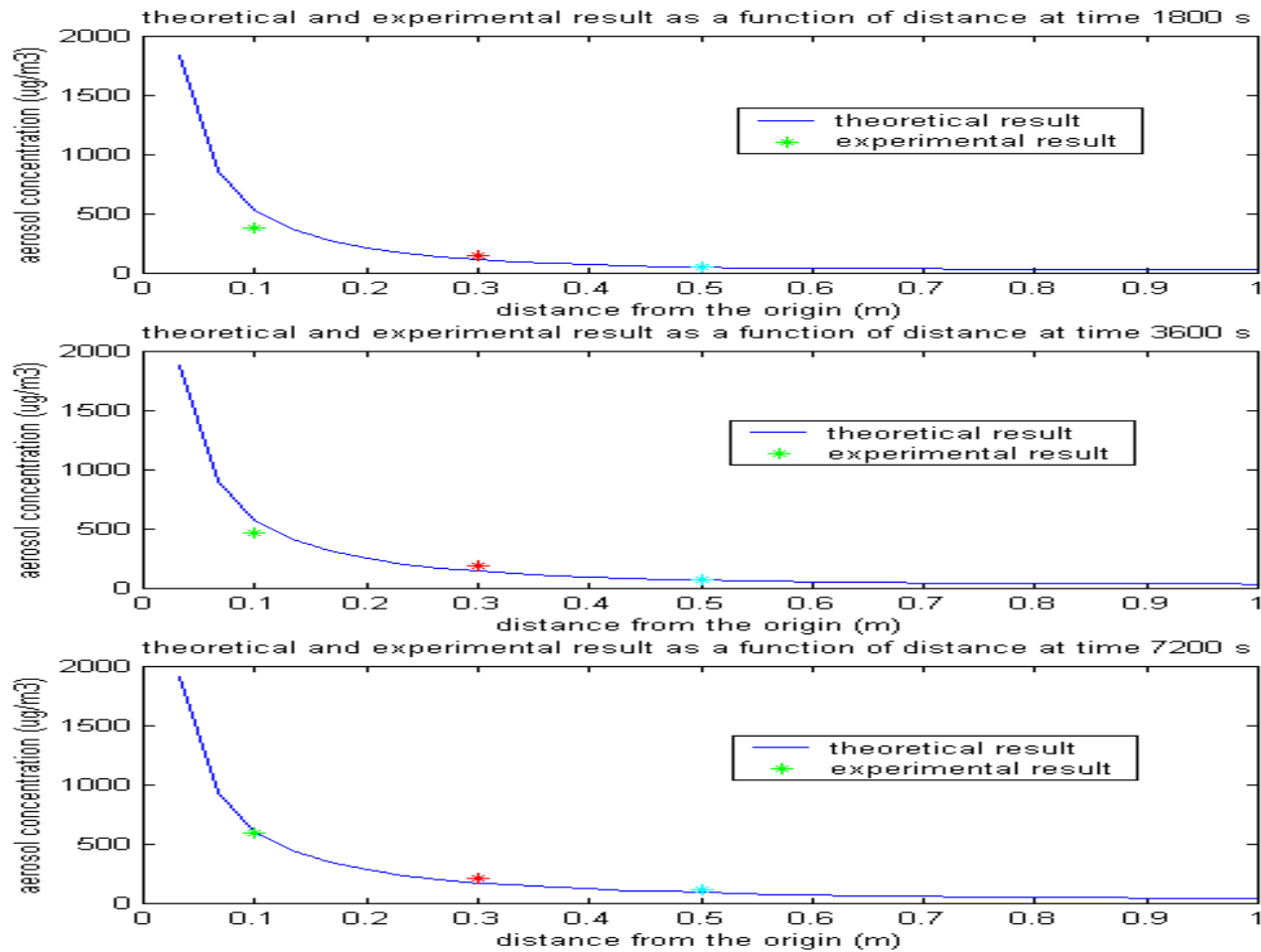
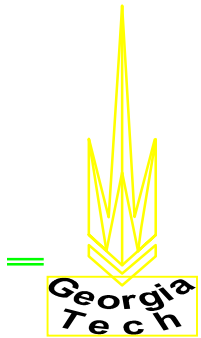
Dissipation Result



Analytical result and experimental data under speed=1040 rpm
and flow rate=1/94 liter/s

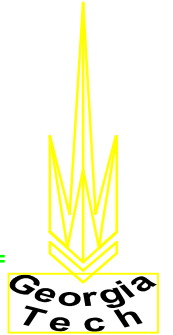
PMRC IAB 2000

Dissipation Result (cont.)



Analytical result and experimental data under speed=1040 rpm and flow rate=1/94 liter/s

Conclusion



- The quantified models have been developed based on atomization theory and machining processes mechanics to predict aerosol generation.
- Spin-off process dominates aerosol generation under relatively higher rotational speed or flow rate during turning process.
- Dissipation model makes it possible to predict aerosol concentration as a function of location and time.